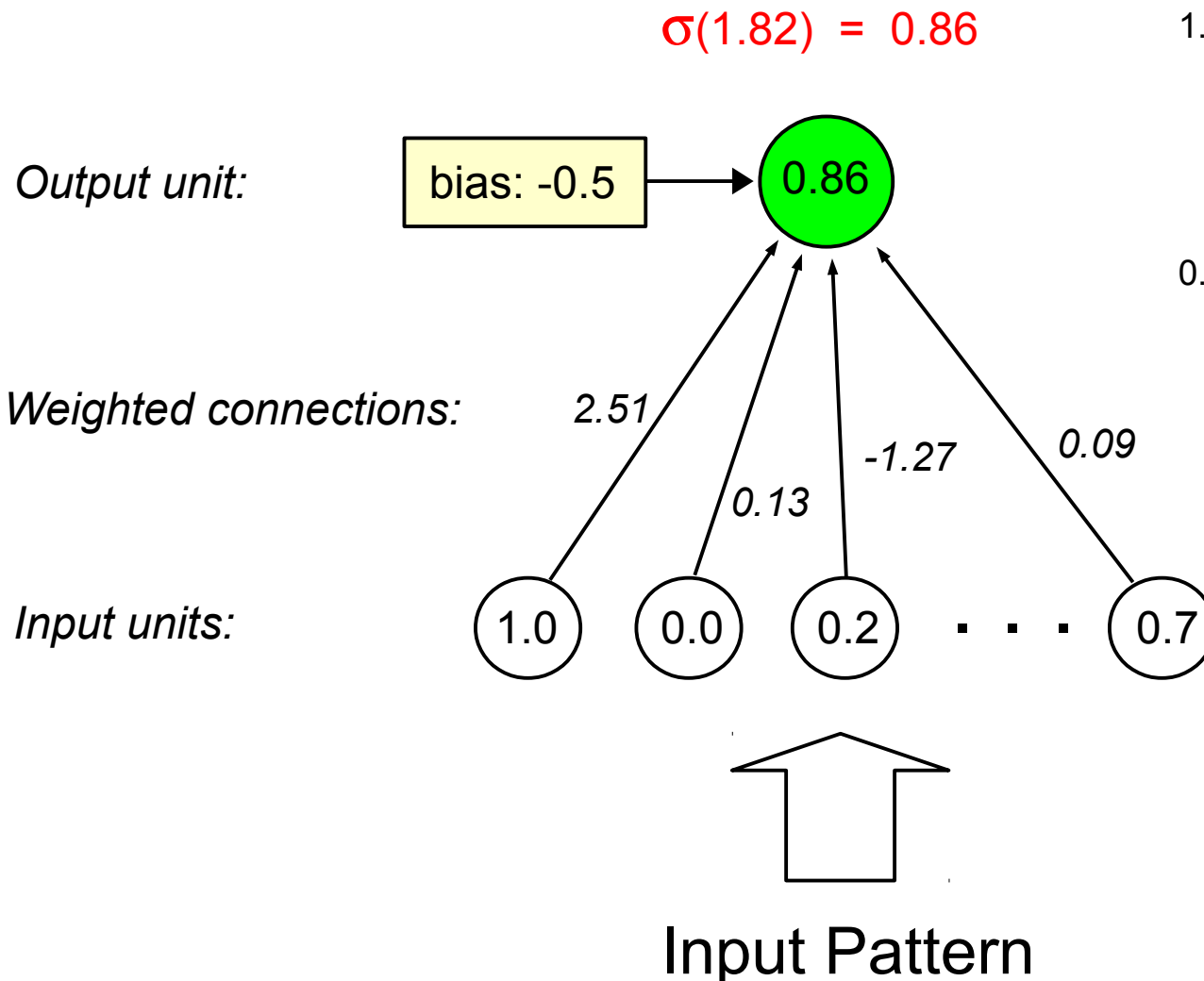
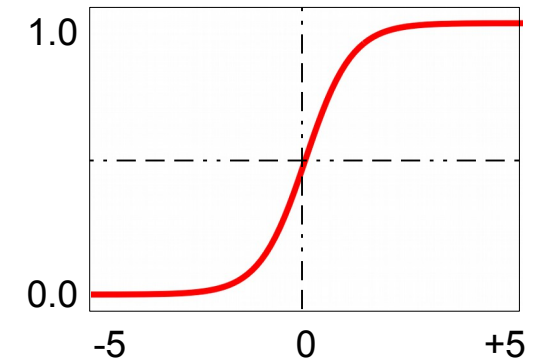


Artificial Neurons: Continuous Version

$$1.0 \times 2.51 + 0.0 \times 0.13 + 0.2 \times -1.27 + \dots + 0.7 \times 0.09 + -0.5 = 1.82$$



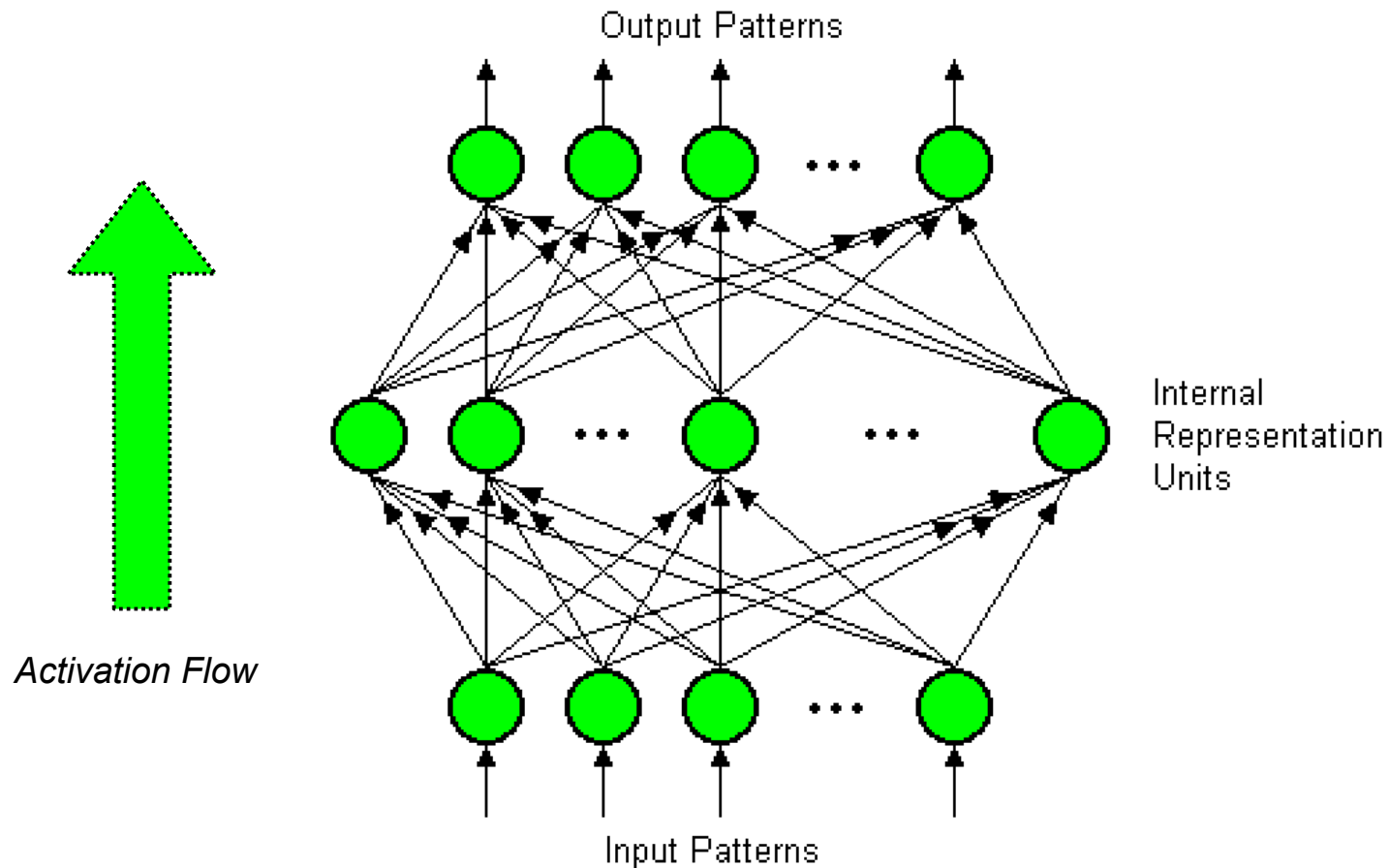
$$\sigma(1.82) = 0.86$$

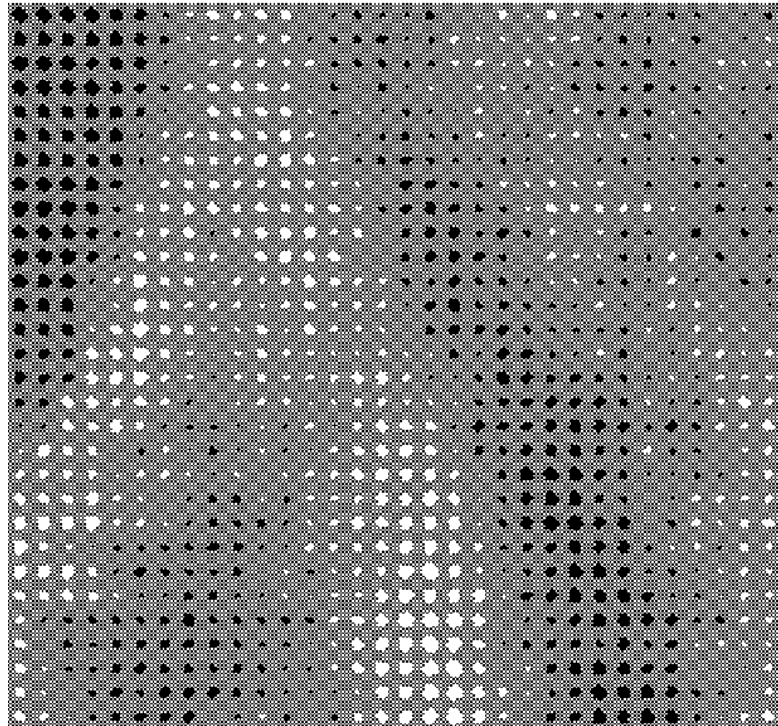


$$\sigma(x) = \frac{1}{1 + e^{-x}}$$

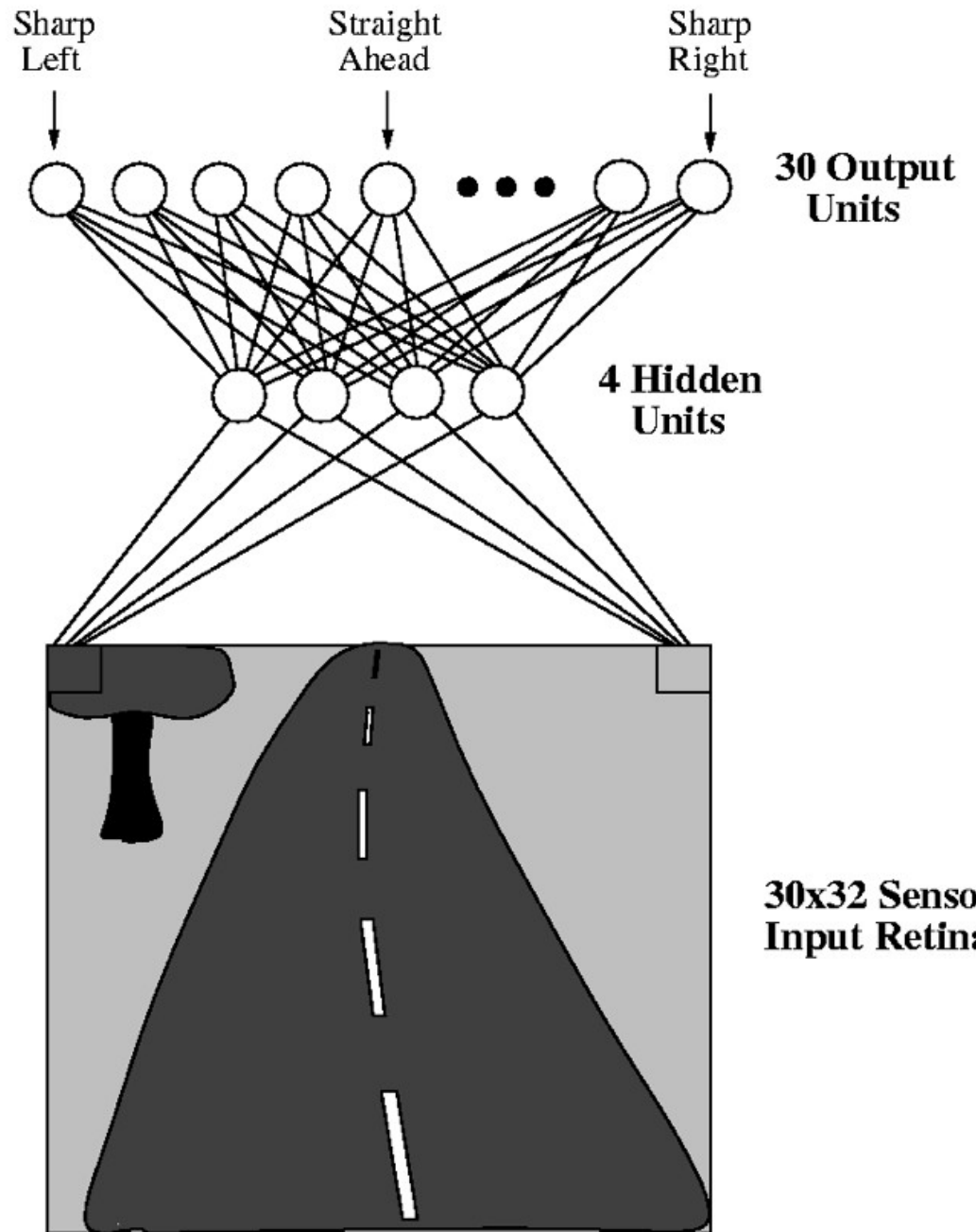
Pattern Associator Networks

- Units are arranged into successive layers
- Feed-forward connections only
- Layer activations represent stimulus/response associations

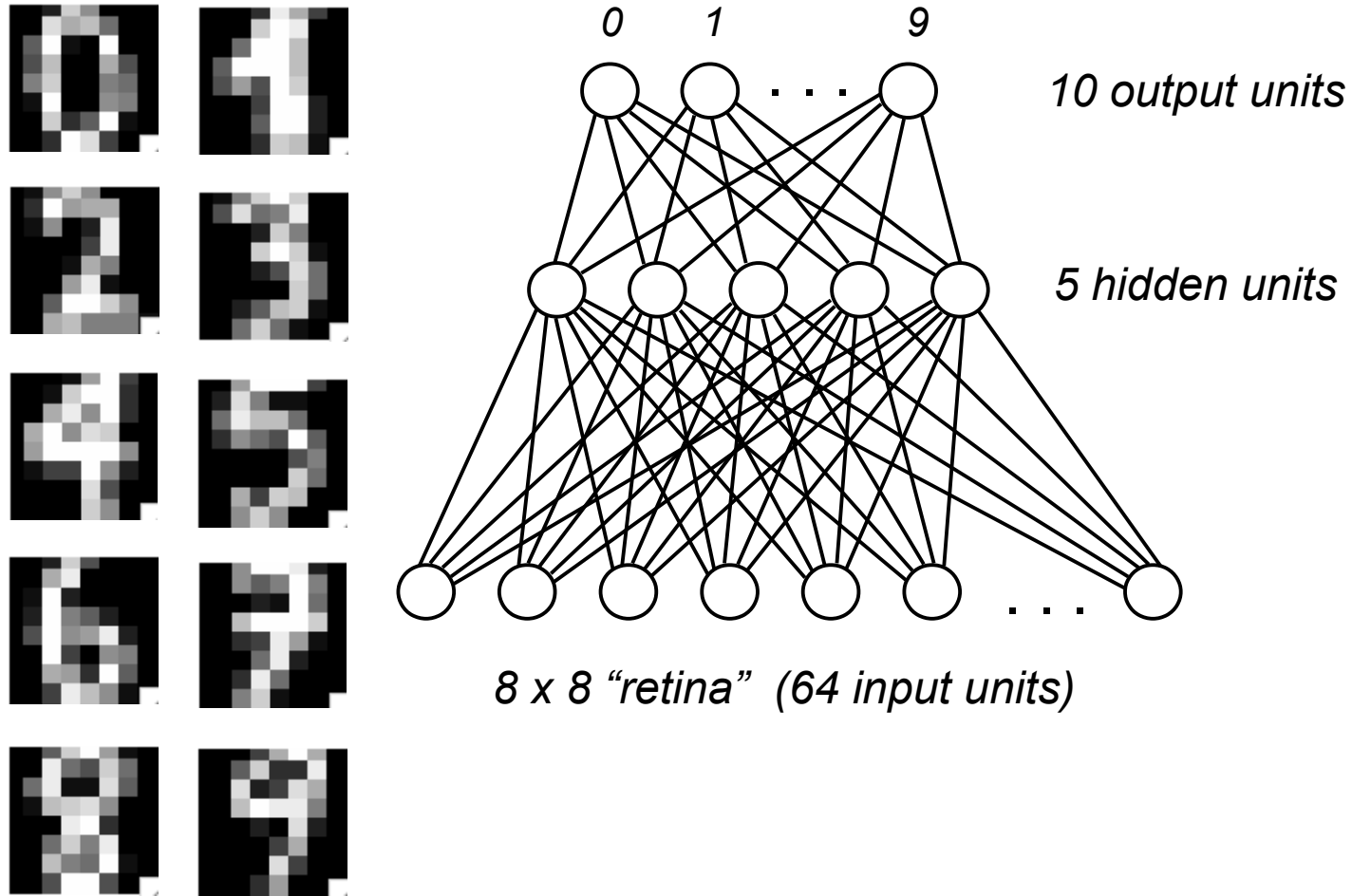




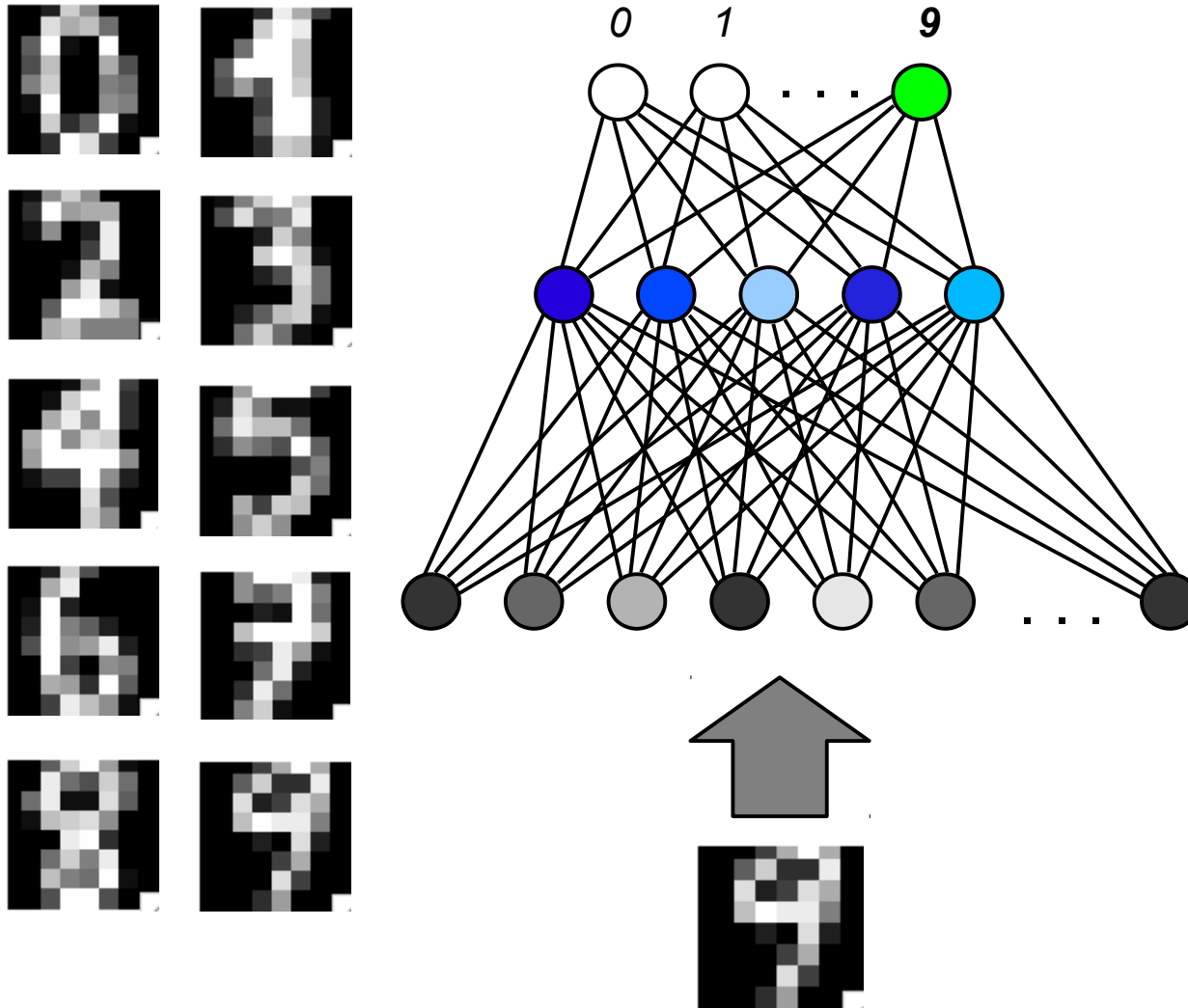
ALVINN



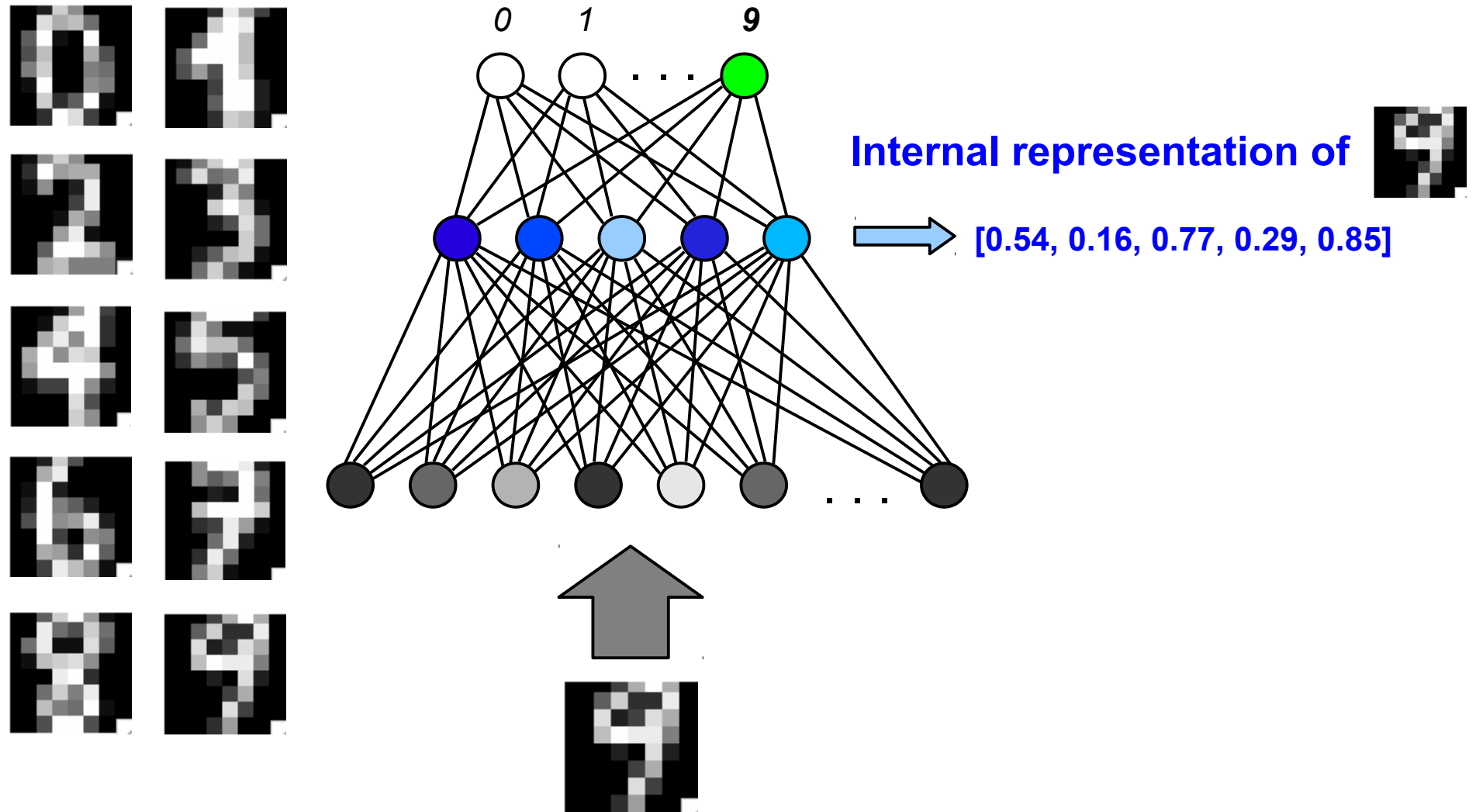
Recognizing Handwritten Digits



Recognizing Handwritten Digits

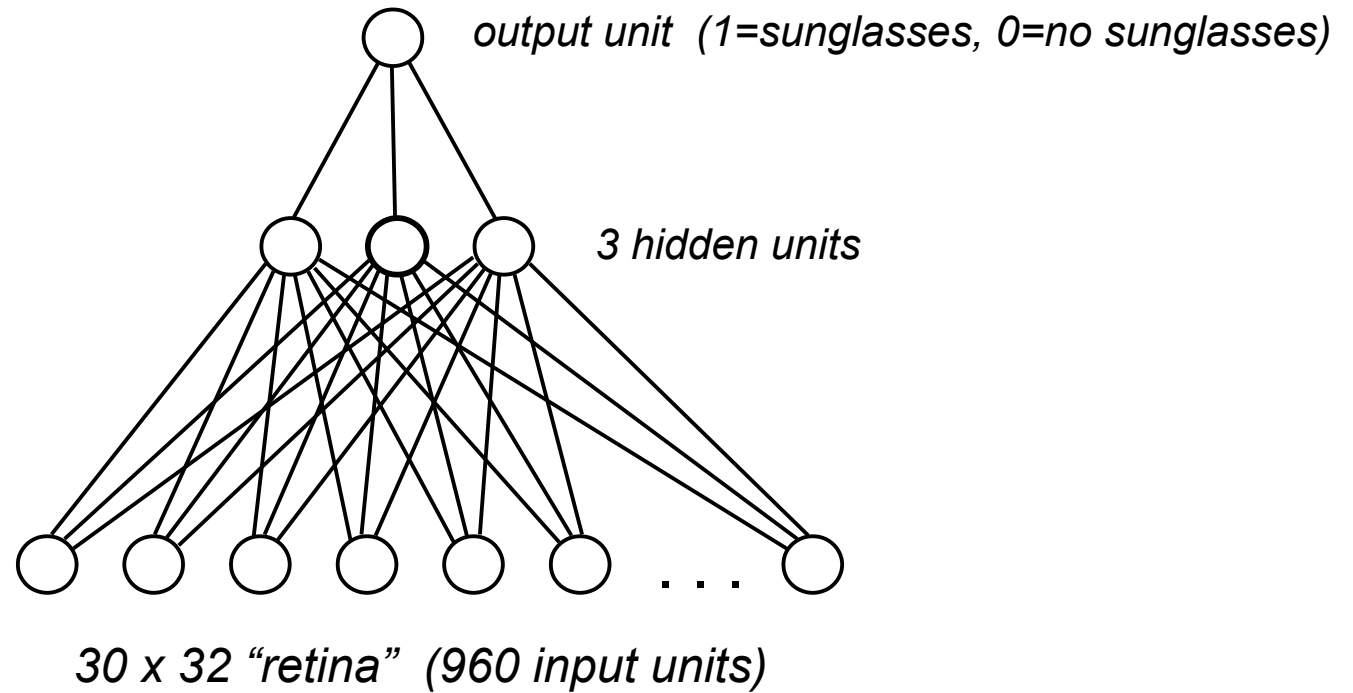


Recognizing Handwritten Digits

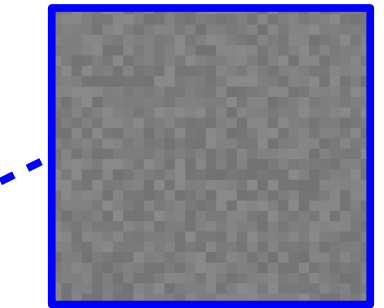
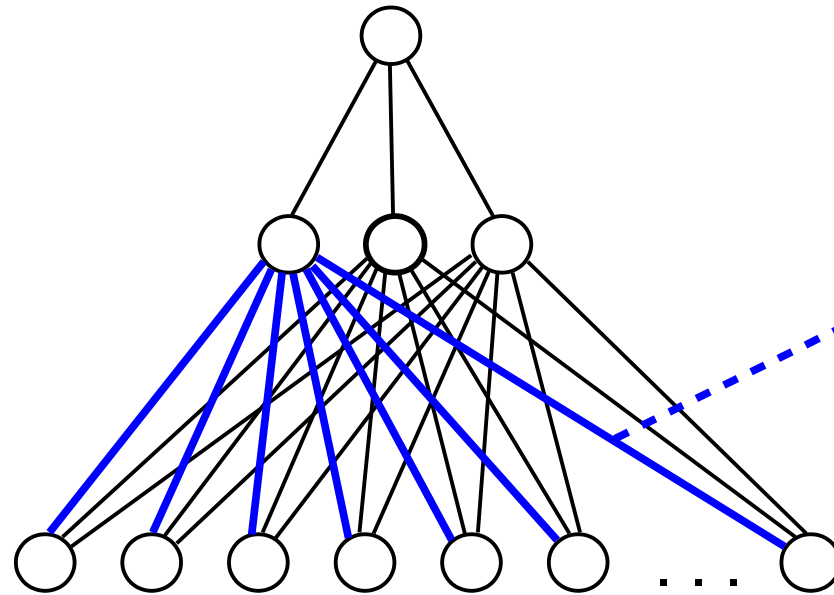


Handwritten Digits Demo

Recognizing Sunglasses

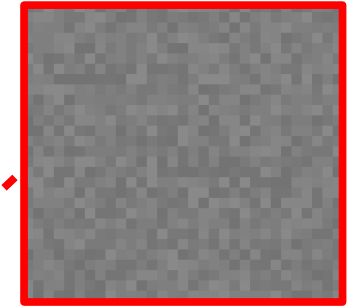
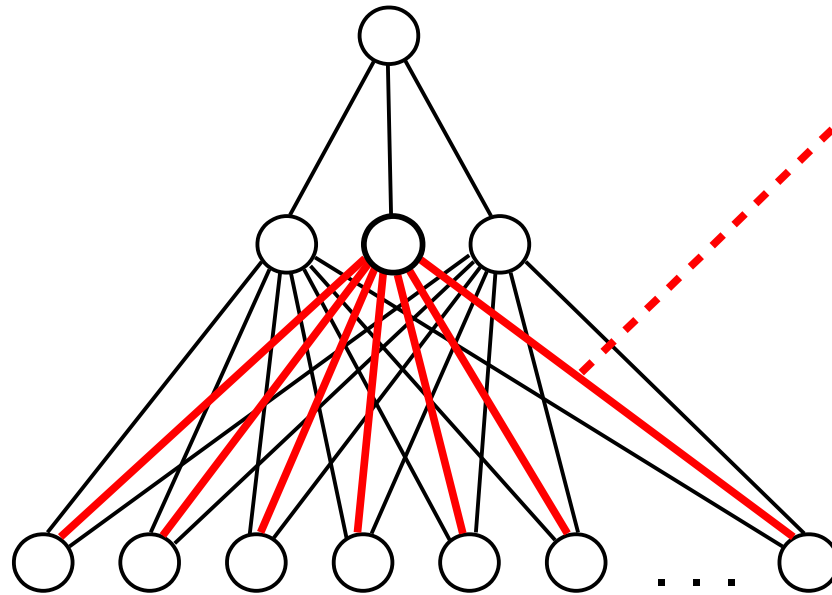


Recognizing Sunglasses



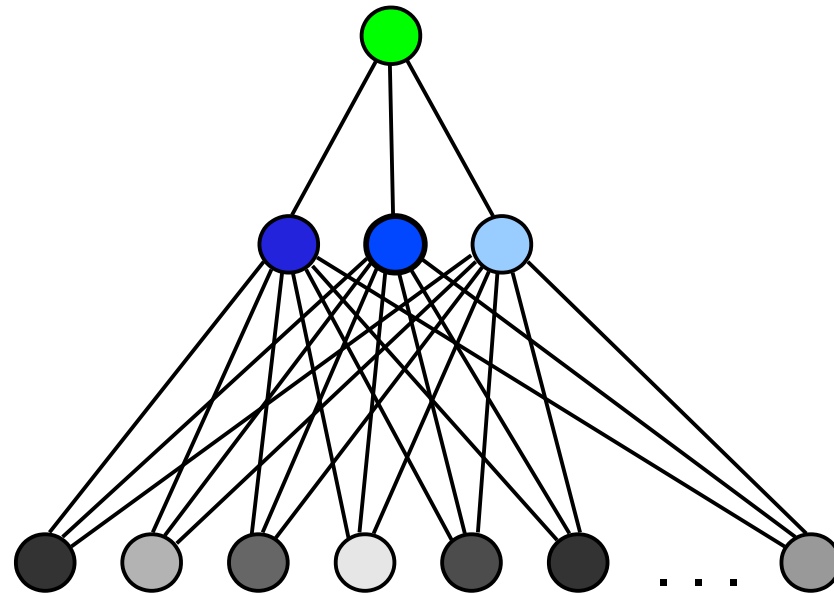
*Weights from "retina"
to first hidden unit*

Recognizing Sunglasses



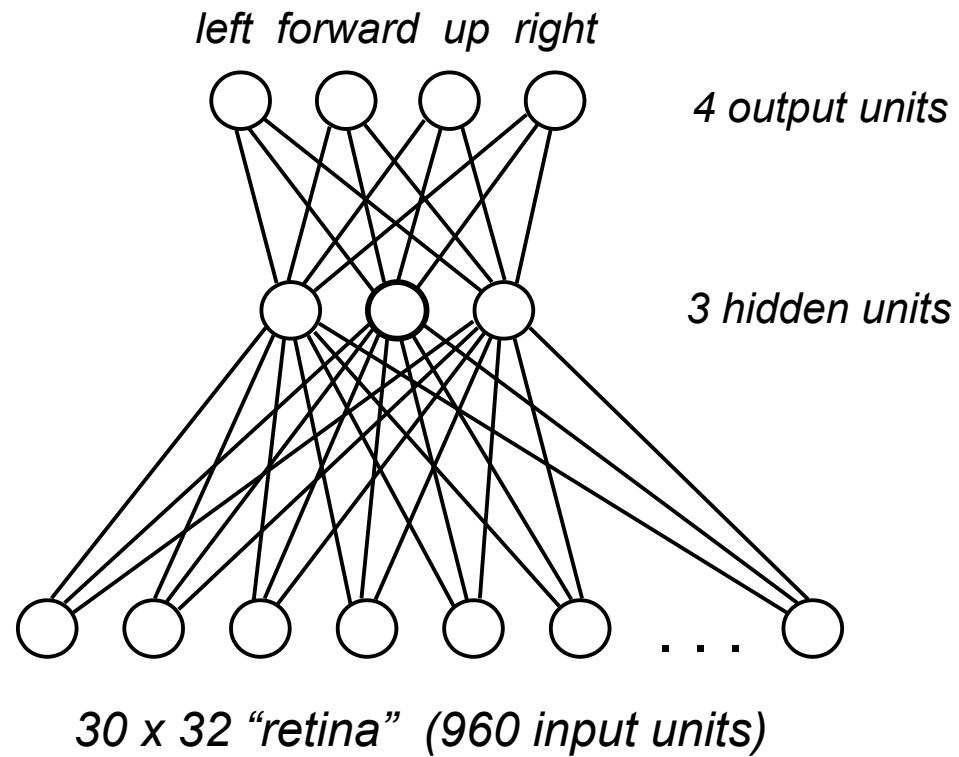
*Weights from "retina"
to middle hidden unit*

Recognizing Sunglasses

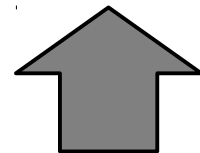
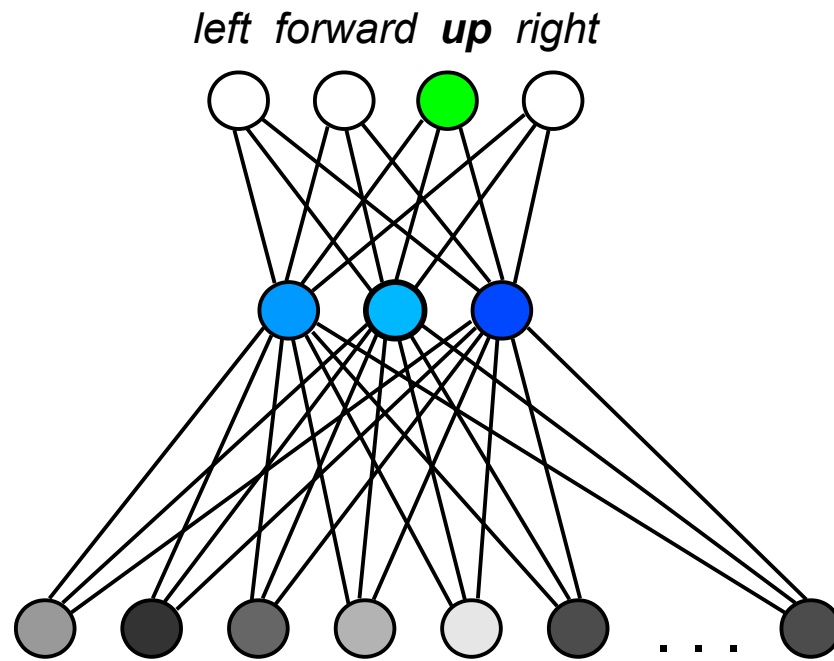
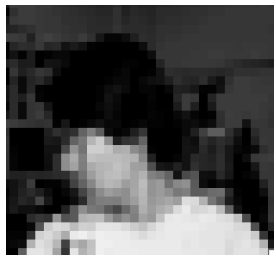


Sunglasses Recognizer Demo

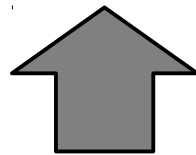
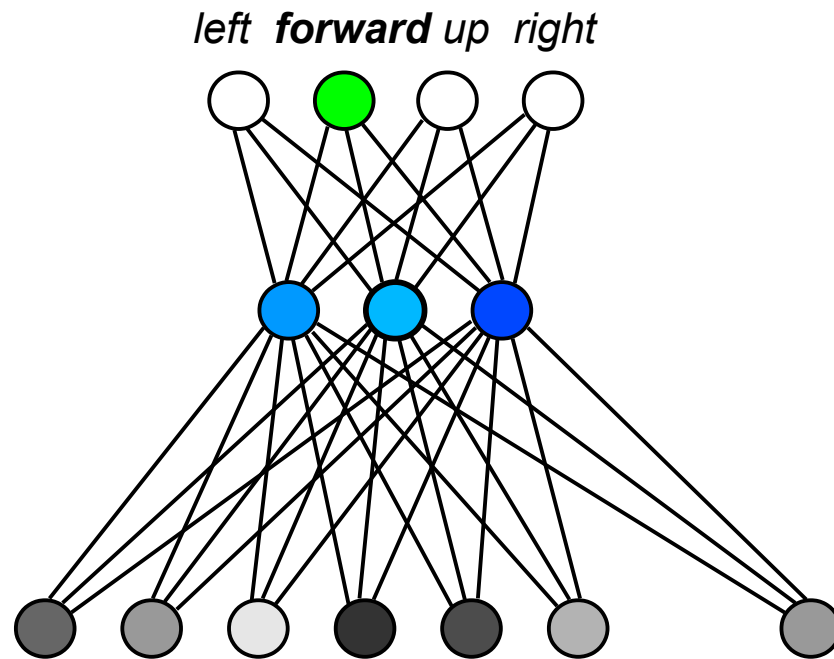
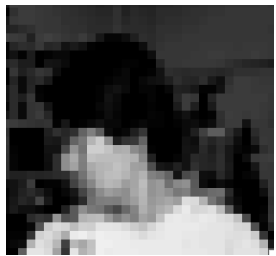
Recognizing Poses



Recognizing Poses

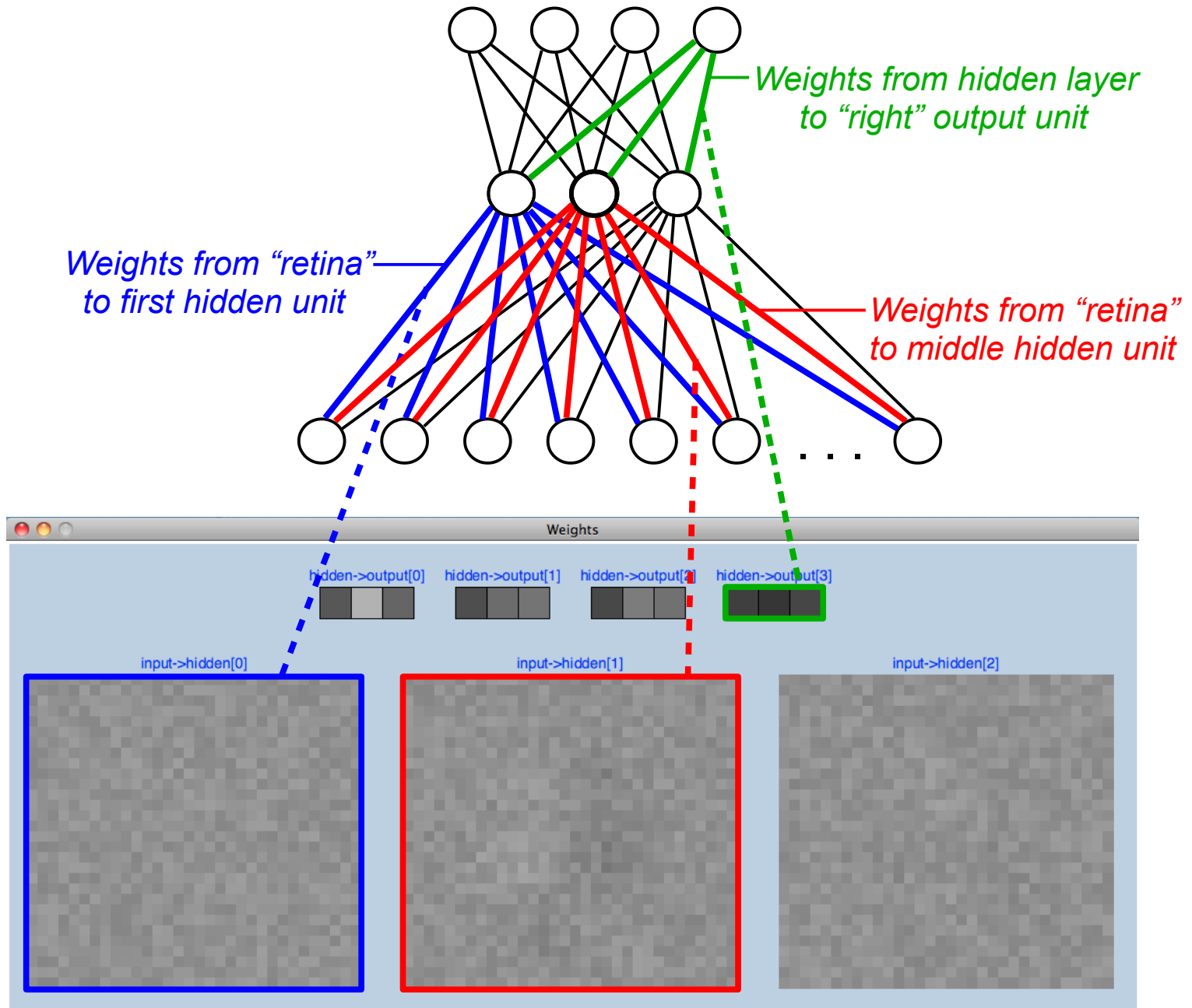


Recognizing Poses



Pose Recognizer Demo

The Knowledge is in the Connection Weights

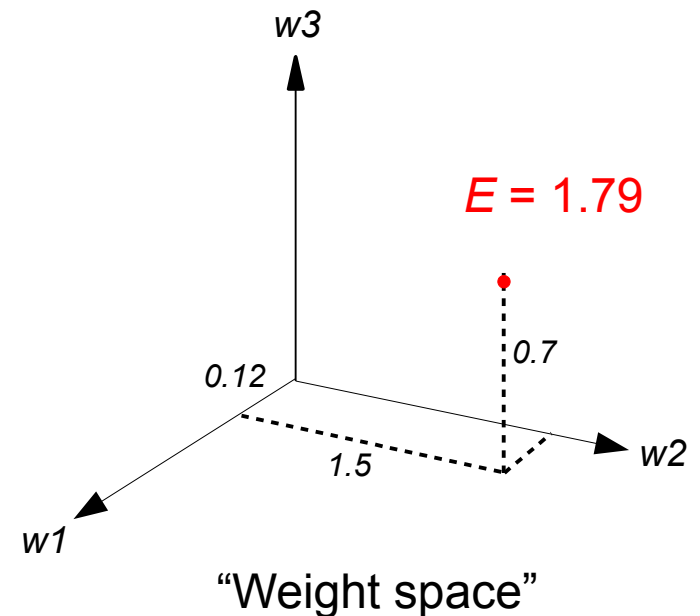
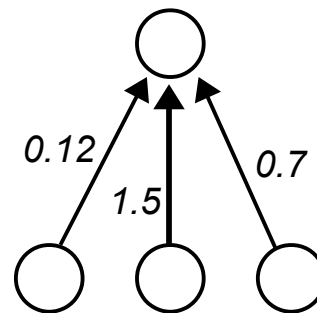


Neural Network Learning

- Connection weights determine network behavior
- Behavior could be “good” or “bad”
- **Error function** quantifies this measure

$$E = (target_1 - output_1)^2 + (target_2 - output_2)^2 + \dots$$

<u>Input</u>	<u>Target</u>	<u>Output</u>
0 0 0	0	0.50
0 0 1	0	0.67
0 1 0	0	0.82
0 1 1	1	0.90
1 0 0	0	0.53
1 0 1	1	0.69
1 1 0	1	0.83
1 1 1	1	0.91



Neural Network Learning

- How to change the weights so that E goes down?
- **Backpropagation learning algorithm** modifies the weights
- On each time step, the overall error of the network moves “downhill” in the direction of the **gradient**

